## **ROUTING ALGORITHMS:**

The **routing algorithm** is that part of the network layer software responsible for deciding which output line an incoming packet should be transmitted on.

#### **PROPERTIES OF ROUTING ALGORITHM**:

Correctness, simplicity, robustness, stability, fairness, and optimality

#### **FAIRNESS AND OPTIMALITY.**



**Fairness and optimality** may sound obvious, but as it turns out, they are often contradictory goals. There is enough traffic between A and A', between B and B', and between C and C' to saturate the horizontal links. To maximize the total flow, the X to X' traffic should be shut off altogether. Unfortunately, X and X' may not see it that way. Evidently, some compromise between global efficiency and fairness to individual connections is needed.

#### **CATEGORY OF ALGORITHM**

- Routing algorithms can be grouped into two major classes: **nonadaptive and adaptive.**
- **Nonadaptive algorithms** do not base their routing decisions on measurements or estimates of the current traffic and topology. Instead, the choice of the route to use to get from I to J is computed in advance, off-line, and downloaded to the routers when the network is booted.
- This procedure is sometimes called **Static routing**.
- **Adaptive algorithms**, in contrast, change their routing decisions to reflect changes in the topology, and usually the traffic as well
- This procedure is sometimes called **dynamic routing**

# **THE OPTIMALITY PRINCIPLE**

- *(a)* **I**f router J is on the optimal path from router I to router K, then the optimal path from J to K also falls along the same route.
- *(b)* The set of optimal routes from all sources to a given destination form a tree rooted at the destination. Such a tree is called a sink tree.



*(c) A subnet. (b) A sink tree for router* **B***.*

- As a direct consequence of the optimality principle, we can see that the set of optimal routes from all sources to a given destination form a tree rooted at the destination.
- Such a tree is called a **sink tree** where the distance metric is the number of hops. Note that a sink tree is not necessarily unique; other trees with the same path lengths may exist.
- The goal of all routing algorithms is to discover and use the sink trees for all routers.

# **SHORTEST PATH ROUTING**

- A technique to study routing algorithms: The idea is to build a graph of the subnet, with each node of the graph representing a router and each arc of the graph representing a communication line (often called a link).
- To choose a route between a given pair of routers, the algorithm just finds the shortest path between them on the graph.
- One way of measuring path length is the number of hops. Another metric is the geographic distance in kilometers. Many other metrics are also possible. For example, each arc could be labeled with the mean queuing and transmission delay for some standard test packet as determined by hourly test runs.
- In the general case, the labels on the arcs could be computed as a function of the distance, bandwidth, average traffic, communication cost, mean queue length, measured

delay, and other factors. By changing the weighting function, the algorithm would then compute the ''shortest'' path measured according to any one of a number of criteria or to a combination of criteria.



*The first five steps used in computing the shortest path from* **A** *to* **D***. The arrows indicate the working node.*

- To illustrate how the labelling algorithm works, look at the weighted, undirected graph of Fig. 5-7(a), where the weights represent, for example, distance.
- We want to find the shortest path from *A* to *D*. We start out by marking node *A* as permanent, indicated by a filled-in circle.
- Then we examine, in turn, each of the nodes adjacent to *A* (the working node), relabeling each one with the distance to *A*.
- Whenever a node is relabelled, we also label it with the node from which the probe was made so that we can reconstruct the final path later.
- Having examined each of the nodes adjacent to *A*, we examine all the tentatively labelled nodes in the whole graph and make the one with the smallest label permanent, as shown in Fig. 5-7(b).
- This one becomes the new working node.

We now start at *B* and examine all nodes adjacent to it. If the sum of the label on *B* and the distance from *B* to the node being considered is less than the label on that node, we have a shorter path, so the node is relabelled.

After all the nodes adjacent to the working node have been inspected and the tentative labels changed if possible, the entire graph is searched for the tentatively-labelled node with the smallest value. This node is made permanent and becomes the working node for the next round. Figure 5-7 shows the first five steps of the algorithm.

 To see why the algorithm works, look at Fig. 5-7(c). At that point we have just made *E*  permanent. Suppose that there were a shorter path than *ABE*, say *AXYZE*. There are two possibilities: either node *Z* has already been made permanent, or it has not been. If it has,

then *E* has already been probed (on the round following the one when *Z* was made permanent), so the *AXYZE* path has not escaped our attention and thus cannot be a shorter path.

- Now consider the case where *Z* is still tentatively labelled. Either the label at *Z* is greater than or equal to that at *E*, in which case *AXYZE* cannot be a shorter path than *ABE*, or it is less than that of *E*, in which case *Z* and not *E* will become permanent first, allowing *E*  to be probed from *Z*.
- This algorithm is given in Fig. 5-8. The global variables *n* and *dist* describe the graph and are initialized before *shortest path* is called. The only difference between the program and the algorithm described above is that in Fig. 5-8, we compute the shortest path starting at the terminal node, *t*, rather than at the source node, *s*. Since the shortest path from *t* to *s* in an undirected graph is the same as the shortest path from *s* to *t*, it does not matter at which end we begin (unless there are several shortest paths, in which case reversing the search might discover a different one). The reason for searching backward is that each node is labelled with its predecessor rather than its successor. When the final path is copied into the output variable, *path*, the path is thus reversed. By reversing the search, the two effects cancel, and the answer is produced in the correct order.<br>#define MAX\_NODES 1024 /\* maximum number of nodes \*/

```
/* maximum number of nodes */
#define INFINITY 1000000000
                                           /* a number larger than every maximum path */
int n, dist[MAX_NODES][MAX_NODES];/* dist[i][j] is the distance from i to j */
void shortest_path(int s, int t, int path[])
                                           /* the path being worked on */
{ struct state {
     int predecessor:
                                           /* previous node */
     int length;
                                           /* length from source to this node */
     enum {permanent, tentative} label; /* label state */
 } state[MAX_NODES];
 int i, k, min;
 struct state *p;
 for (p = &state[0]; p < &state[n]; p++) { /* initialize state */
     p->predecessor = -1;
     p->length = INFINITY;
     p->label = tentative;
 4
 state[t].length = 0; state[t].label = permanent;k = t;
                                           /* k is the initial working node */
 do {
                                           /* Is there a better path from k? */for (i = 0; i < n; i++)/* this graph has n nodes */
          if (dist[k][i] != 0 && state[i].label == tentative) {
                 if (state[k].length + dist[k][i] < state[i].length) {
                     state[i].predecessor = k;
                      state[i].length = state[k].length + dist[k][i];
                \mathcal{I}\mathbf{I}/* Find the tentatively labeled node with the smallest label. */
     k = 0; min = INFINITY;
     for (i = 0; i < n; i++)if (state[i].label == tentative && state[i].length < min) {
                min = state[i].length;k = i;
     state[k].label = permanent;
 } while (k != s);
 /* Copy the path into the output array. */
 i = 0: k = s:
 do \{\text{path}[i++] = k; k = state[k]\}.predecessor; } while (k >= 0);
```
*Figure 5-8. Dijkstra's algorithm to compute the shortest path through a graph.*

# **FLOODING**

- Another static algorithm is **flooding**, in which every incoming packet is sent out on every outgoing line except the one it arrived on.
- Flooding obviously generates vast numbers of duplicate packets, in fact, an infinite number unless some measures are taken to damp the process.
- One such measure is to have a hop counter contained in the header of each packet, which is decremented at each hop, with the packet being discarded when the counter reaches zero.
- Ideally, the hop counter should be initialized to the length of the path from source to destination. If the sender does not know how long the path is, it can initialize the counter to the worst case, namely, the full diameter of the subnet.

## **DISTANCE VECTOR ROUTING**

- **Distance vector routing** algorithms operate by having each router maintain a table (i.e, a vector) giving the best known distance to each destination and which line to use to get there.
- These tables are updated by exchanging information with the neighbors.
- The distance vector routing algorithm is sometimes called by other names, most commonly the distributed **Bellman-Ford** routing algorithm and the **Ford-Fulkerson**  algorithm, after the researchers who developed it (Bellman, 1957; and Ford and Fulkerson, 1962).
- It was the original ARPANET routing algorithm and was also used in the Internet under the name RIP.



*(a) A subnet. (b) Input from* **A***,* **I***,* **H***,* **K***, and the new routing table for* **J***.*

- Part (a) shows a subnet. The first four columns of part (b) show the delay vectors received from the neighbours of router *J*.
- *A* claims to have a 12-msec delay to *B*, a 25-msec delay to *C*, a 40-msec delay to *D*, etc. Suppose that *J* has measured or estimated its delay to its neighbours, *A*, *I, H*, and *K* as 8, 10, 12, and 6 msec, respectively.

Each node constructs a one-dimensional array containing the "distances"(costs) to all other nodes and distributes that vector to its immediate neighbors.

- 1. The starting assumption for distance-vector routing is that each node knows the cost of the link to each of its directly connected neighbors.
- 2. A link that is down is assigned an infinite cost.

Example.



**Table 1. Initial distances stored at each node(global view).**



We can represent each node's knowledge about the distances to all other nodes as a table like the one given in Table 1.

Note that each node only knows the information in one row of the table.

- 1. Every node sends a message to its directly connected neighbors containing its personal list of distance. ( for example, **A** sends its information to its neighbors **B,C,E**, and **F**. )
- 2. If any of the recipients of the information from **A** find that **A** is advertising a path shorter than the one they currently know about, they update their list to give the new path length and note that they should send packets for that destination through **A**. ( node **B** learns from **A** that node **E** can be reached at a cost of 1; **B** also knows it can reach **A** at a cost of 1, so it adds these to get the cost of reaching **E** by means of **A**. **B** records that it can reach **E** at a cost of 2 by going through **A**.)
- 3. After every node has exchanged a few updates with its directly connected neighbors, all nodes will know the least-cost path to all the other nodes.
- 4. In addition to updating their list of distances when they receive updates, the nodes need to keep track of which node told them about the path that they used to calculate the cost, so that they can create their forwarding table. ( for example, **B** knows that it was **A** who said " I can reach **E** in one hop" and so **B** puts an entry in its table that says " To reach **E**, use the link to **A**.)



#### **Table 2. final distances stored at each node ( global view).**

In practice, each node's forwarding table consists of a set of triples of the form:

( Destination, Cost, NextHop).

For example, Table 3 shows the complete routing table maintained at node B for the network in figure1.



# **Table 3. Routing table maintained at node B.**

## **THE COUNT-TO-INFINITY PROBLEM**

#### *The count-to-infinity problem.*



- Consider the five-node (linear) subnet of  $\underline{Fig. 5-10}$ , where the delay metric is the number of hops. Suppose *A* is down initially and all the other routers know this. In other words, they have all recorded the delay to *A* as infinity.
- Now let us consider the situation of Fig.  $5-10(b)$ , in which all the lines and routers are initially up. Routers *B*, *C*, *D*, and *E* have distances to *A* of 1, 2, 3, and 4, respectively. Suddenly *A* goes down, or alternatively, the line between *A* and *B* is cut, which is effectively the same thing from *B*'s point of view.

# **LINK STATE ROUTING**

The idea behind link state routing is simple and can be stated as five parts. Each router must do the following:

- 1. Discover its neighbors and learn their network addresses.
- 2. Measure the delay or cost to each of its neighbors.
- 3. Construct a packet telling all it has just learned.
- 4. Send this packet to all other routers.
- 5. Compute the shortest path to every other router

#### *Learning about the Neighbours*

When a router is booted, its first task is to learn who its neighbours are. It accomplishes this goal by sending a special HELLO packet on each point-to-point line. The router on the other end is expected to send back a reply telling who it is.



*(a) Nine routers and a LAN. (b) A graph model of (a). (b)*

#### *Measuring Line Cost*

- The link state routing algorithm requires each router to know, or at least have a reasonable estimate of, the delay to each of its neighbors. The most direct way to determine this delay is to send over the line a special ECHO packet that the other side is required to send back immediately.
- By measuring the round-trip time and dividing it by two, the sending router can get a reasonable estimate of the delay.
- For even better results, the test can be conducted several times, and the average used. Of course, this method implicitly assumes the delays are symmetric, which may not always be the case.



*Figure: A subnet in which the East and West parts are connected by two lines.*

 Unfortunately, there is also an argument against including the load in the delay calculation. Consider the subnet of  $Fig. 5-12$ , which is divided into two parts, East and West, connected by two lines, *CF* and *EI*.

# *Building Link State Packets*



*(a) A subnet. (b) The link state packets for this subnet.*

- Once the information needed for the exchange has been collected, the next step is for each router to build a packet containing all the data.
- The packet starts with the identity of the sender, followed by a sequence number and age (to be described later), and a list of neighbours.
- For each neighbour, the delay to that neighbour is given.
- An example subnet is given in Fig.  $5-13(a)$  with delays shown as labels on the lines. The corresponding link state packets for all six routers are shown in Fig. 5-13(b).

# *Distributing the Link State Packets*



*The packet buffer for router* **B** *in Fig. 5-13.*

- In Fig. 5-14, the link state packet from *A* arrives directly, so it must be sent to *C* and *F* and acknowledged to *A*, as indicated by the flag bits.
- Similarly, the packet from *F* has to be forwarded to *A* and *C* and acknowledged to *F*.

# **HIERARCHICAL ROUTING**

- The routers are divided into what we will call regions, with each router knowing all the details about how to route packets to destinations within its own region, but knowing nothing about the internal structure of other regions.
- For huge networks, a two-level hierarchy may be insufficient; it may be necessary to group the regions into clusters, the clusters into zones, the zones into groups, and so on, until we run out of names for aggregations.



- Figure 5-15 gives a quantitative example of routing in a two-level hierarchy with five regions.
- The full routing table for router 1A has 17 entries, as shown in Fig. 5-15(b).
- When routing is done hierarchically, as in Fig.  $5-15(c)$ , there are entries for all the local routers as before, but all other regions have been condensed into a single router, so all traffic for region 2 goes via the 1*B* -2*A* line, but the rest of the remote traffic goes via the 1*C* -3*B* line.
- Hierarchical routing has reduced the table from 17 to 7 entries. As the ratio of the number of regions to the number of routers per region grows, the savings in table space increase.

#### **BROADCAST ROUTING**

Sending a packet to all destinations simultaneously is called broadcasting.

- 1) The source simply sends a distinct packet to each destination. Not only is the method wasteful of bandwidth, but it also requires the source to have a complete list of all destinations.
- 2) Flooding.

The problem with flooding as a broadcast technique is that it generates too many packets and consumes too much bandwidth.



*Reverse path forwarding. (a) A subnet. (b) A sink tree. (c) The tree built by reverse path forwarding.*

Part (a) shows a subnet, part (b) shows a sink tree for router *I* of that subnet, and part (c) shows how the reverse path algorithm works.

- When a broadcast packet arrives at a router, the router checks to see if the packet arrived on the line that is normally used for sending packets to the source of the broadcast. If so, there is an excellent chance that the broadcast packet itself followed the best route from the router and is therefore the first copy to arrive at the router.
- This being the case, the router forwards copies of it onto all lines except the one it arrived on. If, however, the broadcast packet arrived on a line other than the preferred one for reaching the source, the packet is discarded as a likely duplicate.

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- To do multicast routing, each router computes a spanning tree covering all other routers. For example, in Fig. 5-17(a) we have two groups, 1 and 2.
- Some routers are attached to hosts that belong to one or both of these groups, as indicated in the figure.
- A spanning tree for the leftmost router is shown in  $Fig. 5-17(b)$ . When a process sends a multicast packet to a group, the first router examines its spanning tree and prunes it, removing all lines that do not lead to hosts that are members of the group.
- $\bullet$  In our example, Fig. 5-17(c) shows the pruned spanning tree for group 1. Similarly, Fig. 5-17(d) shows the pruned spanning tree for group 2. Multicast packets are forwarded only along the appropriate spanning tree.